

OpenCV를 이용한 Segmentation

ISL
안재원

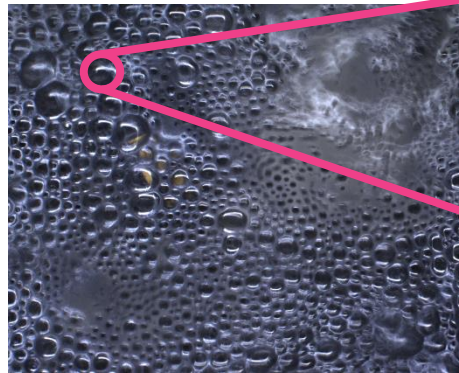
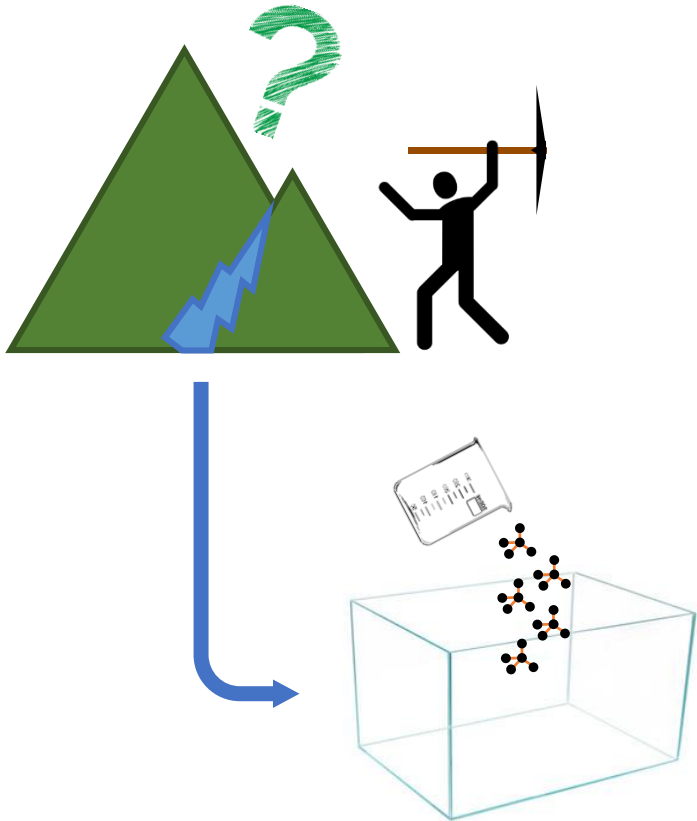
- Intro
- Watershed
- GMMs
- Result

Intro

- 과제 소개



- 과제의 목적



- 방울 검출
- 노이즈 제거
- 방울 색상 분석

Watershed

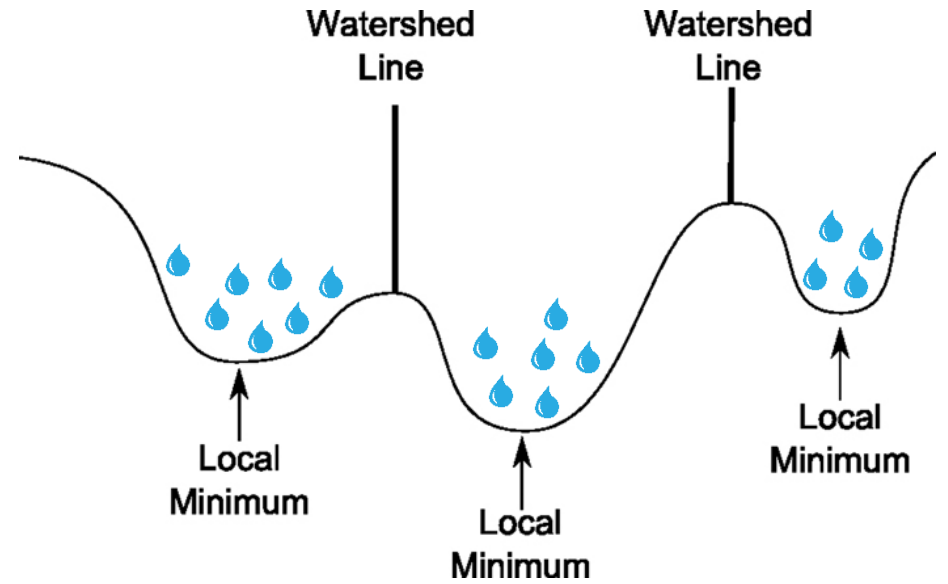
-Watershed



원본 영상

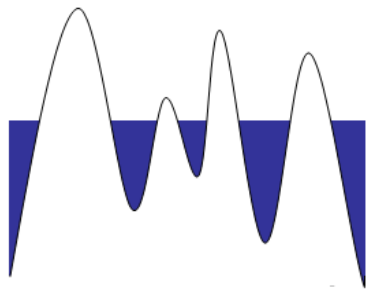


기울기 영상

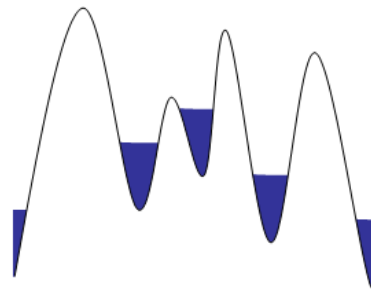


기울기 기반의 고도 정보

- Watershed의 종류



담금 방식



강우 방식

- 담금 방식 : 계곡에 밑에서 부터 물이 차오르는 방식
- 강우 방식 : 물이 위에서 떨어져 영역이 확장되는 방식
- 병합과 분할의 시점에 따라 다르다.

Watershed

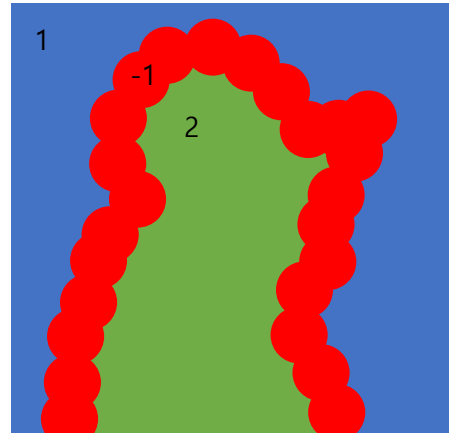
-cv::watershed(InputArray image, InputOutput Array)

↳ 원본 영상

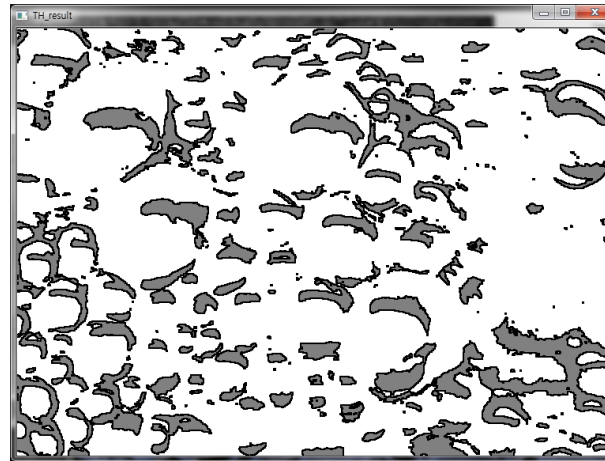
↳ Seed(Marker) 영상 & 결과 영상

- Seed 영상(32-bit 1-channel Image)

Rough한 분할 정보를 저장



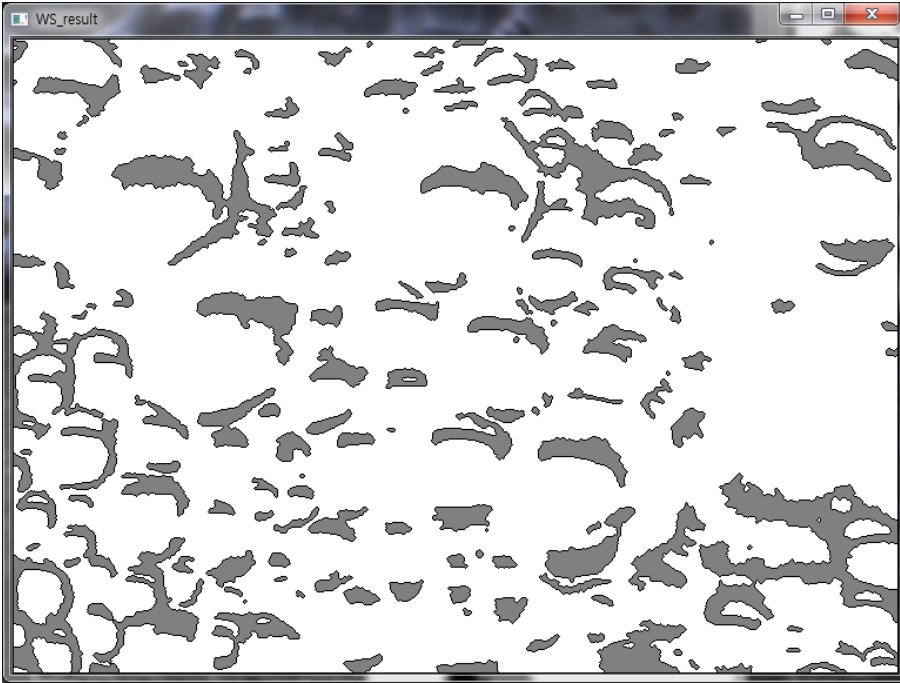
- OpenCV의 Watershed는 강우 방식 기반.
- 기준 영역은 양수 값을 부여.
- 경계 영역(미 지정 영역)은 -1을 부여.



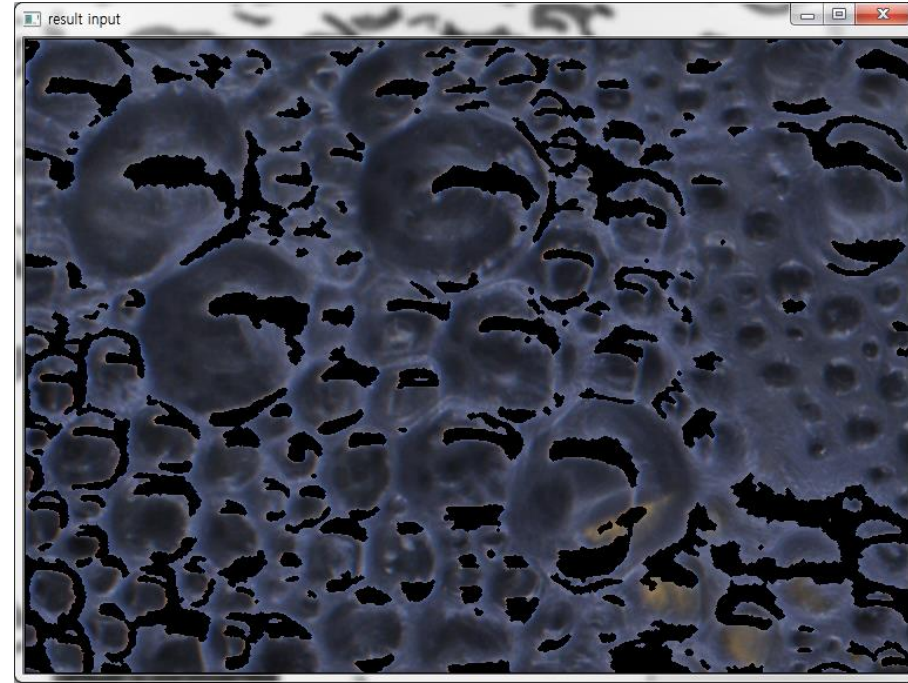
- 밝기 값을 이용해 기준 영역 선정.
- 기준 영역은 흰색과 회색.
- 경계 영역은 검정색.

Watershed

-cv::watershed(InputArray image, InputOutput Array)



- Watershed 결과

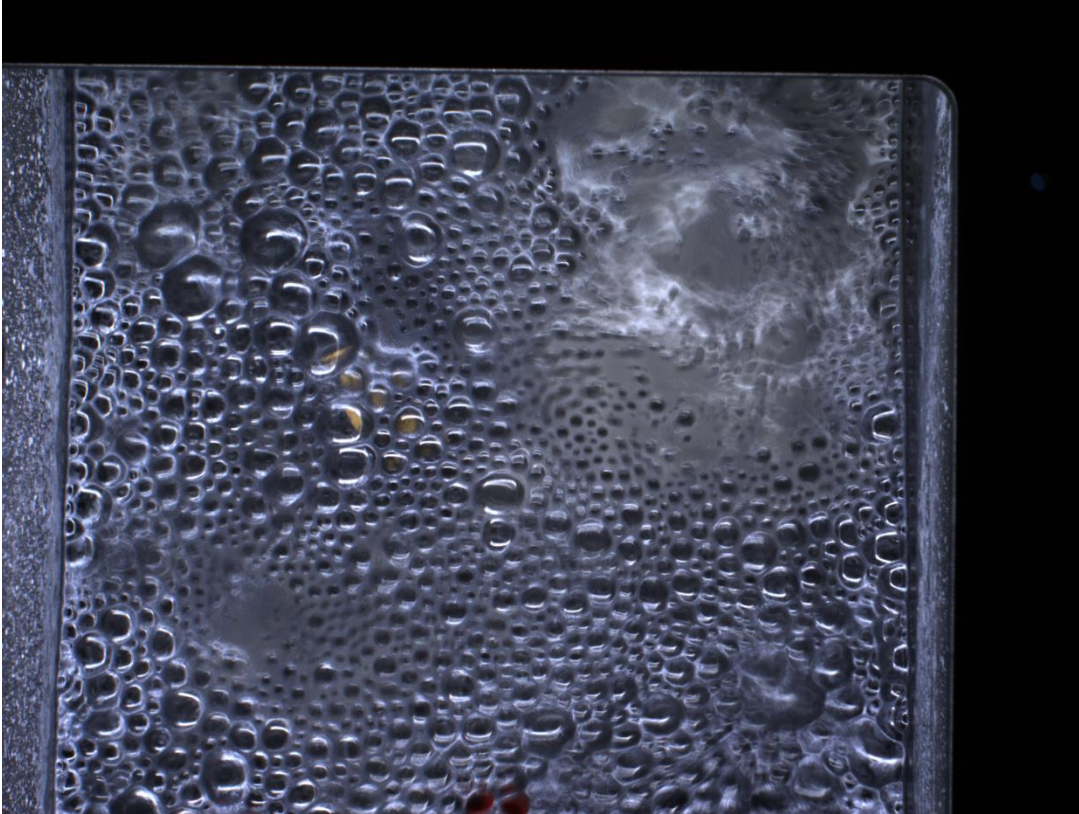


- 회색 영역을 제거한 결과

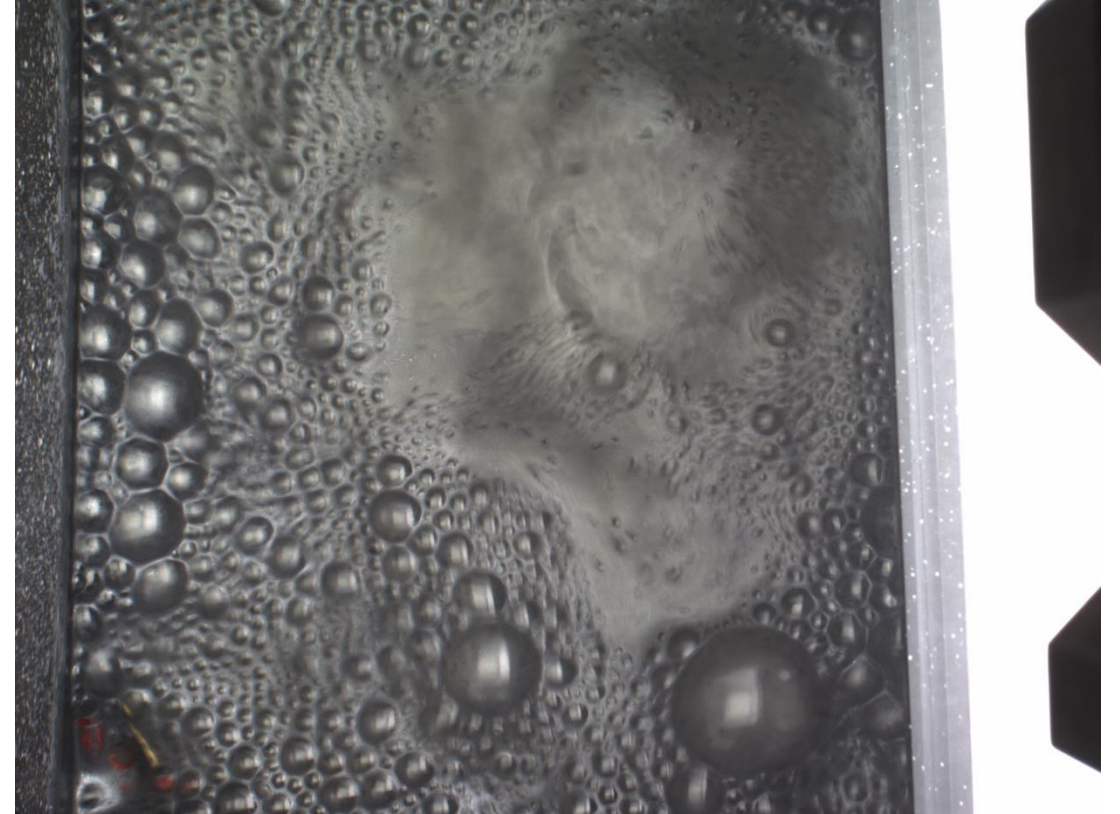
Watershed

-Problem

- 기준의 모호함



Test set #1

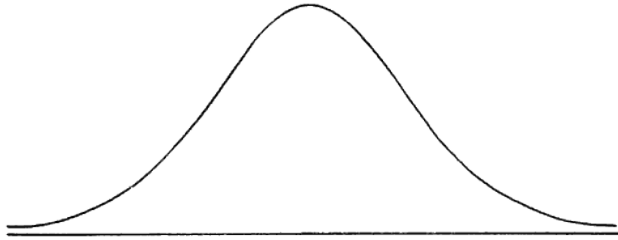


Test set #2

GMMs

-Gaussian Mixture Models

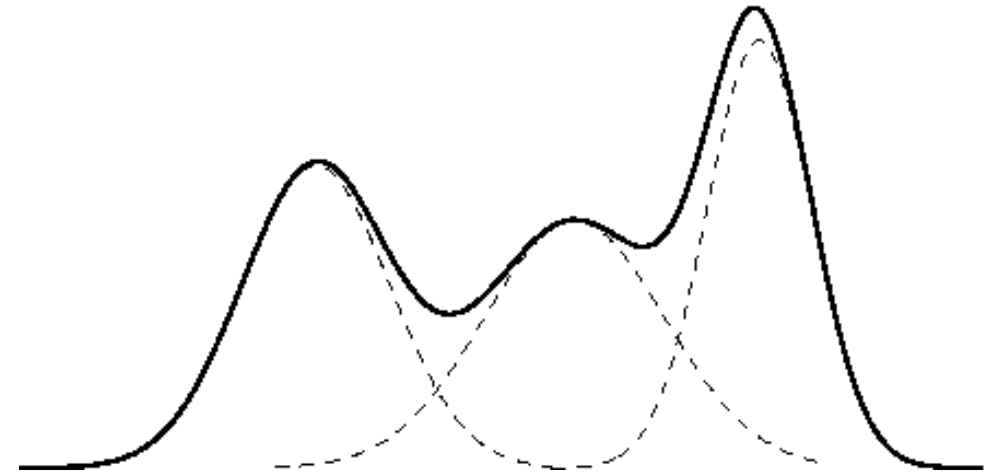
- 정규 분포 모델



- 평균 μ 와 분산 σ 를 갖는 분포
- 독립적인 자연계의 사건은 정규 분포 형태를 따르는 경우가 많음.

- 정규 분포 혼합 모델

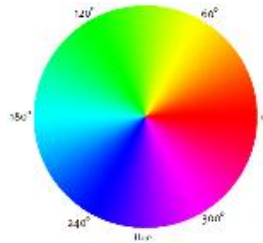
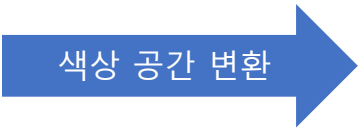
여러 정규 분포 데이터가 모인 형태



H Channel 히스토그램



거품 영상



GMMs

03

최우추정법

- 정규 분포 혼합 모델

$$p(x|\theta) = \sum_{j=1}^M p(x|\omega_j)P(\omega_j) \quad \rightarrow \quad P(\omega_j) = \alpha_j \quad 0 \leq \alpha_j \leq 1 \quad \sum_{j=1}^M \alpha_j = 1$$

$$p(x|\omega_j) = \frac{1}{\sqrt{2\pi}\sigma_j} \exp\left(-\frac{(x-\mu_j)^2}{2\sigma_j^2}\right)$$

$$\theta = \{\{\omega \dots\}, \{\alpha \dots\}\}$$

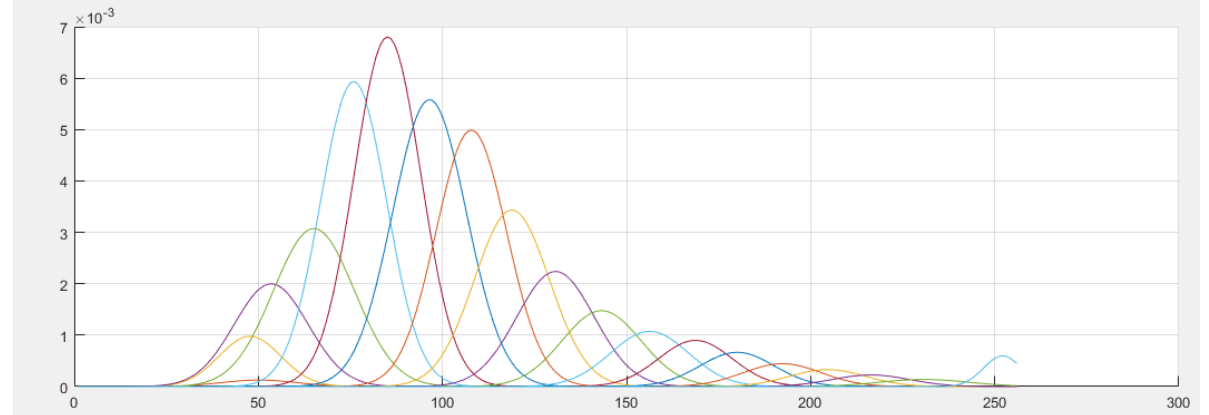
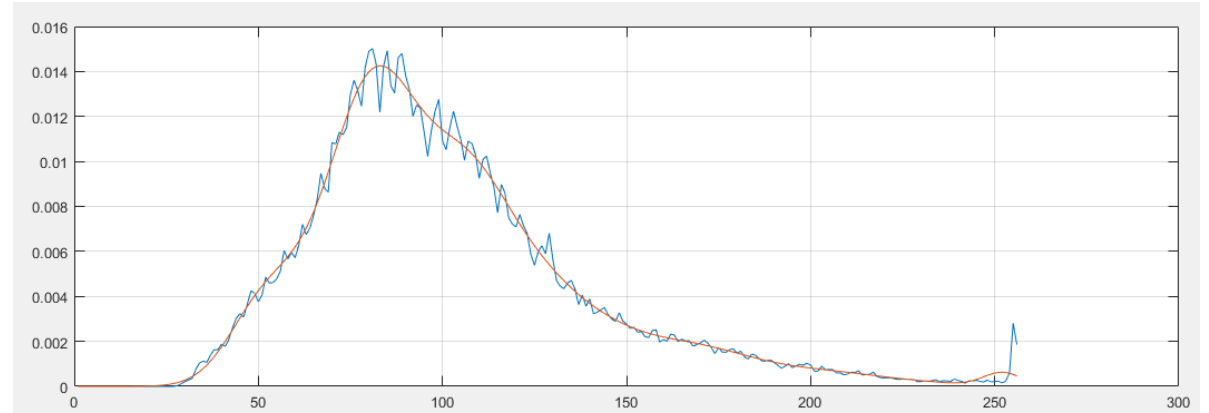
$$\omega = \{\{\mu \dots\}, \{\sigma \dots\}\}$$

- 로그 우도(log-likelihood)

$$E = -\sum_{n=1}^N \log p(x_n | \theta) \quad \left\{ \begin{array}{l} \hat{\mu}_j = \frac{\sum_{n=1}^N P(\omega_j | x_n) x_n}{\sum_{n=1}^N P(\omega_j | x_n)} \\ \hat{\sigma}_j^2 = \frac{\sum_{n=1}^N P(\omega_j | x_n) \|x_n - \mu_j\|^2}{\sum_{n=1}^N P(\omega_j | x_n)} \end{array} \right.$$

$$P(\omega_j | x_n) = \frac{p(x_n | \omega_j) \alpha_j}{p(x_n | \theta)}$$

$$\hat{\alpha}_j = \frac{1}{N} \sum_{n=1}^N P(\omega_j | x_n)$$



j = 20

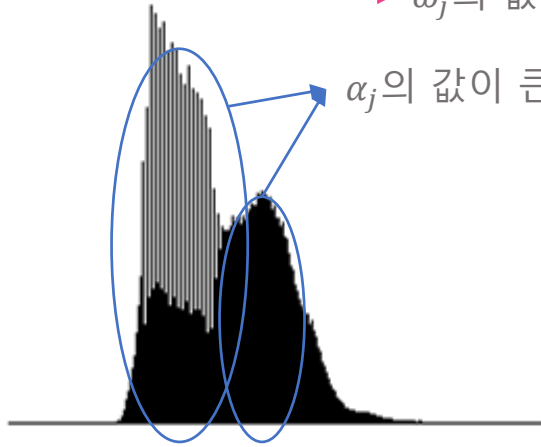
GMMs

Seed 선정

$$p(x|\theta) = \sum_{j=1}^M p(x|\omega_j)P(\omega_j)$$

$$0 \leq \alpha_j \leq 1 \quad \sum_{j=1}^M \alpha_j = 1$$

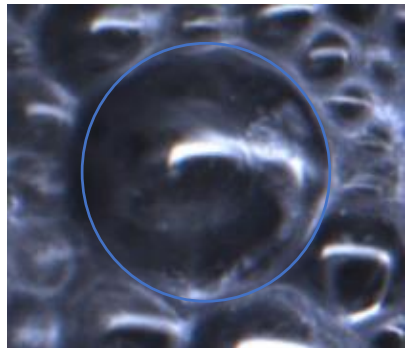
ω_j 의 값을 사용하는 정규 분포의 상대적 중요도.



α_j 의 값이 큰 경우($\alpha_j > 1/M$)

→ 영상에서 해당 밝기 값을 갖는 영역이 주된 영역일 가능성이 높다.

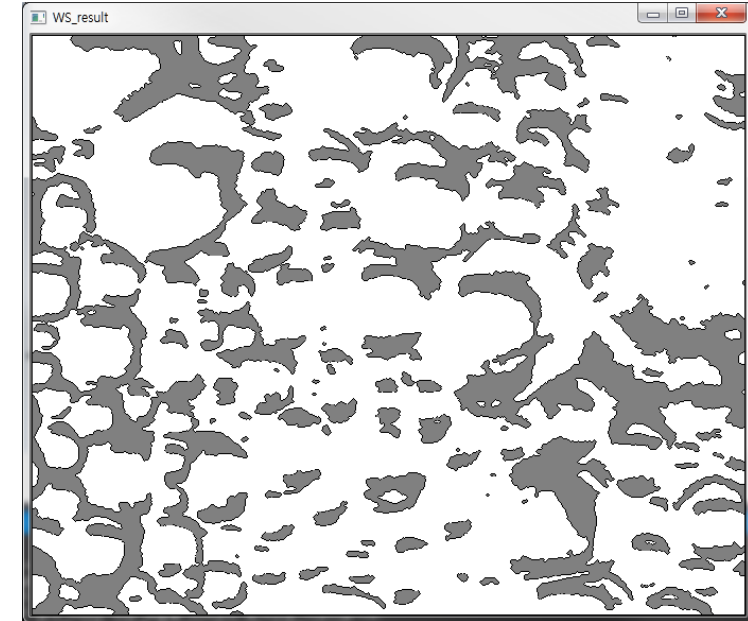
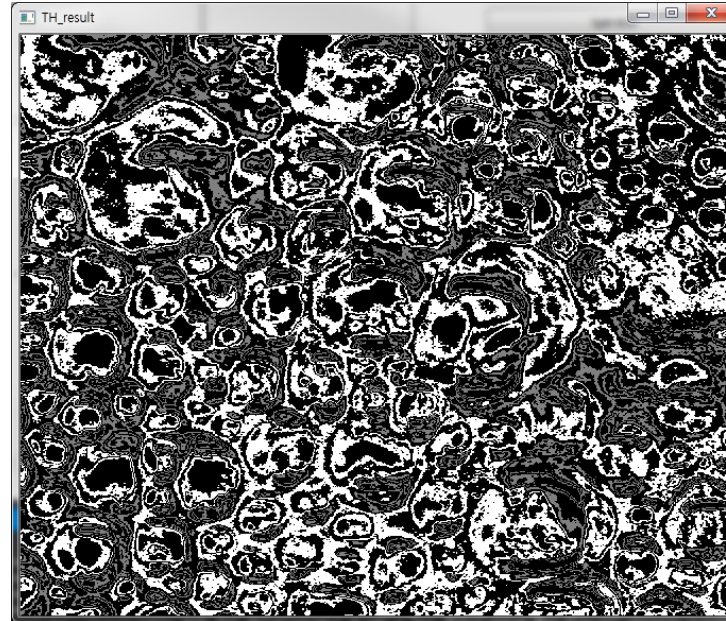
L Channel 히스토그램



$\alpha_j > 1/M$



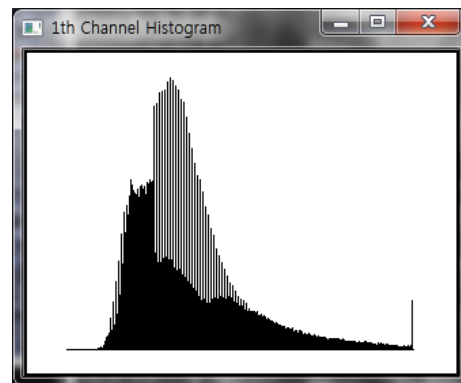
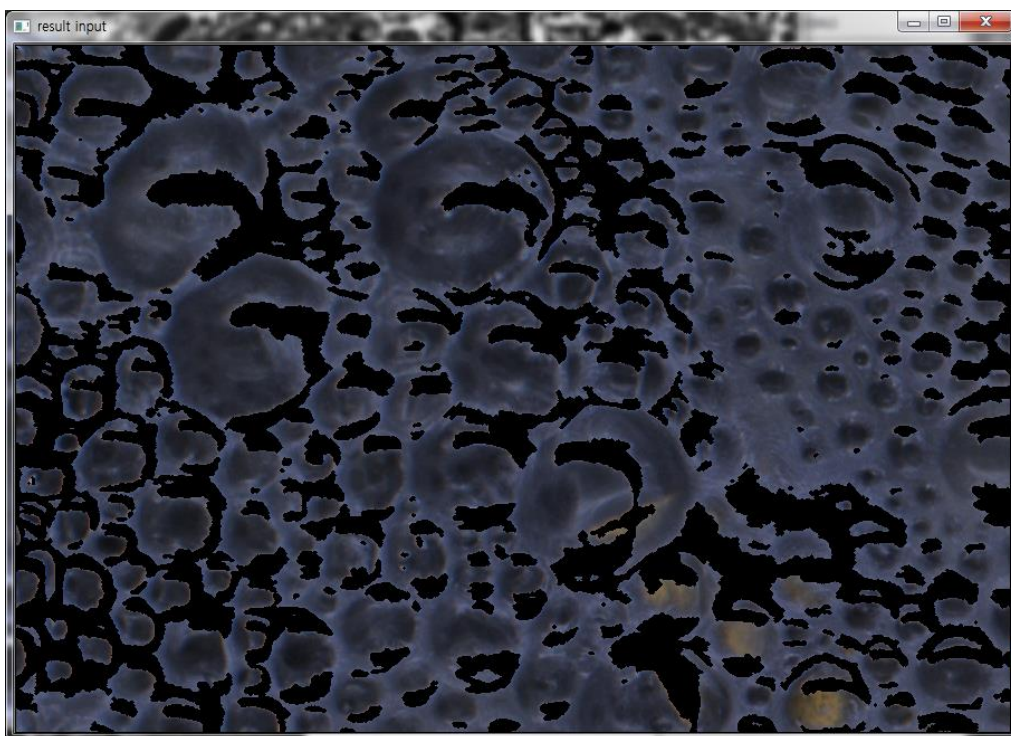
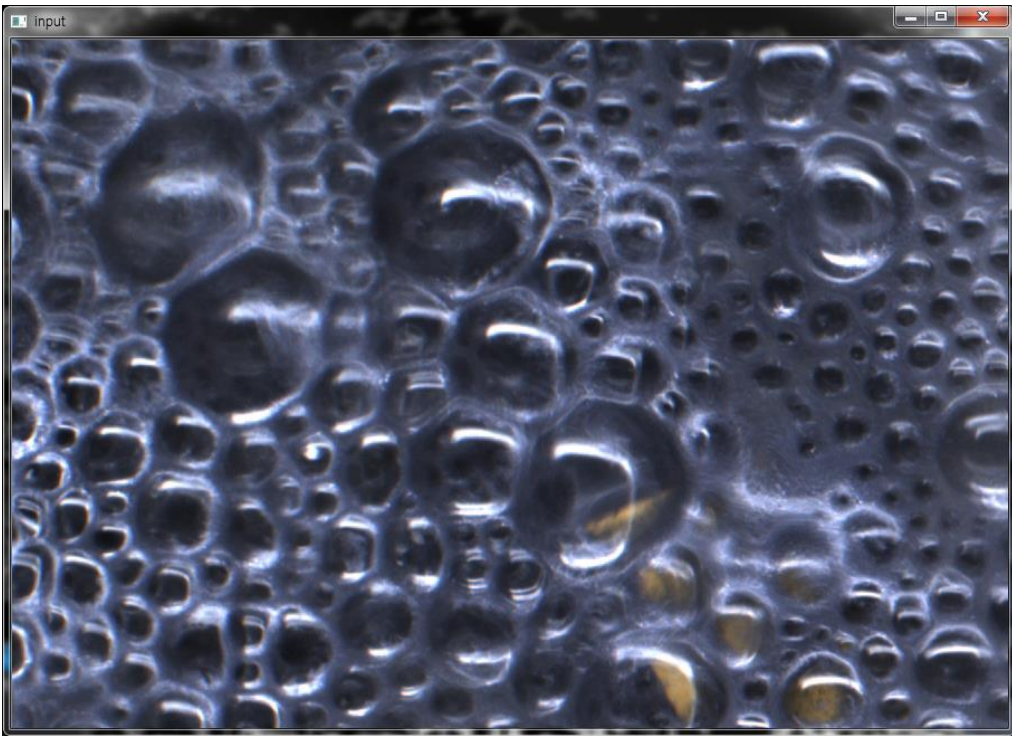
$\alpha_j < 1/M$



04

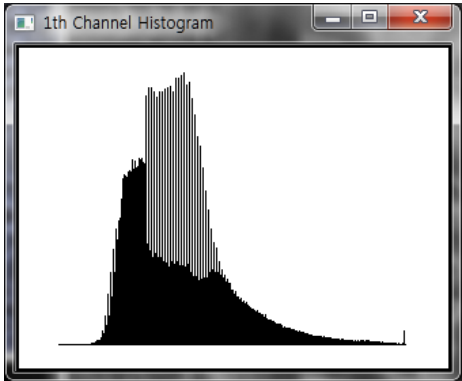
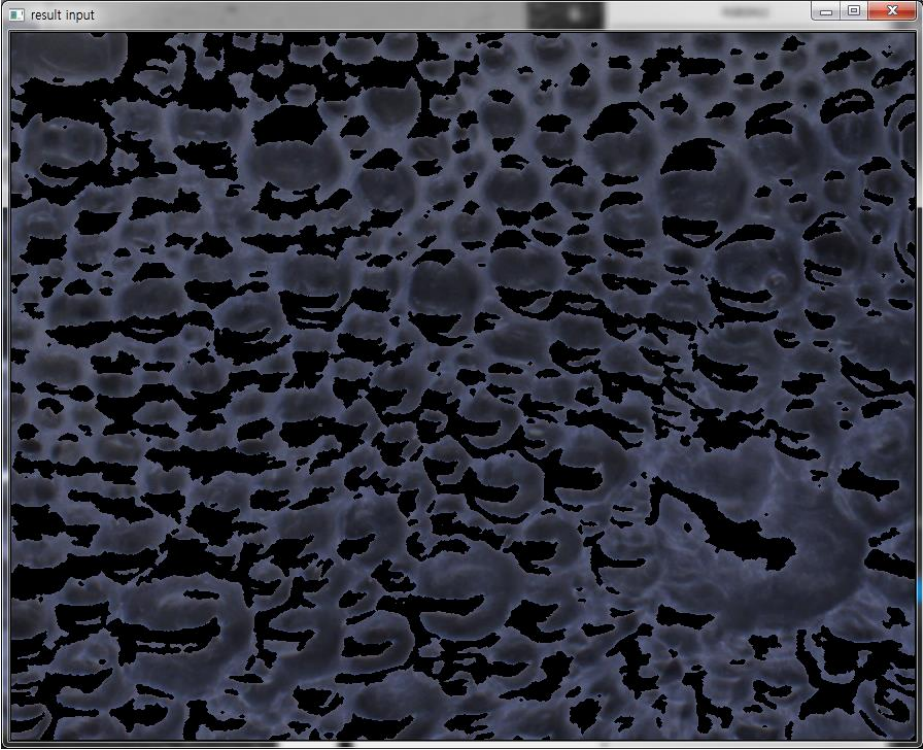
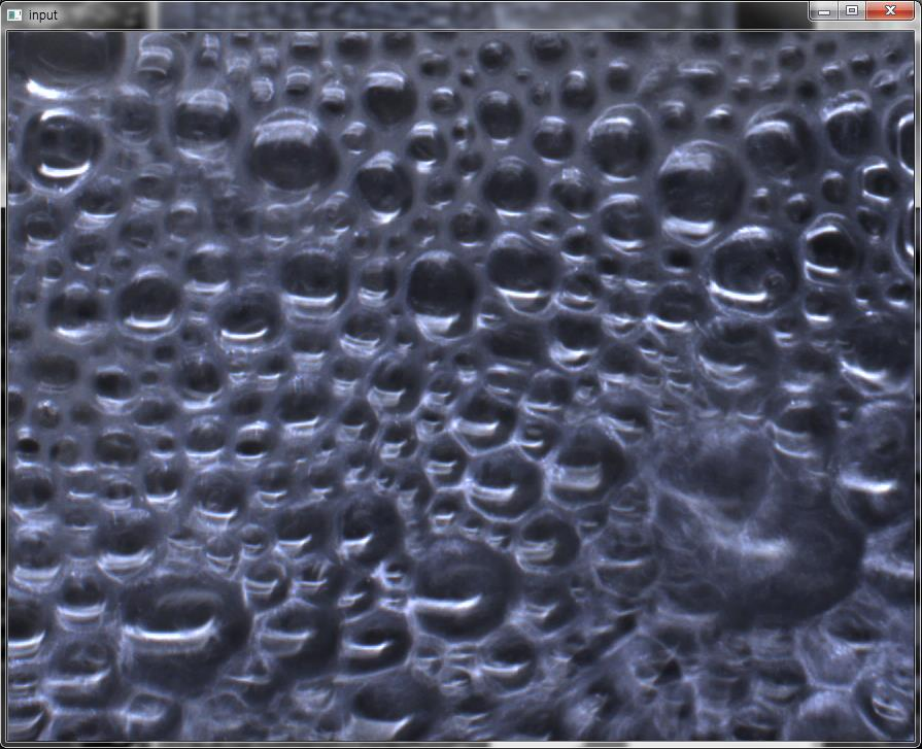
Result

-Test#1



Result

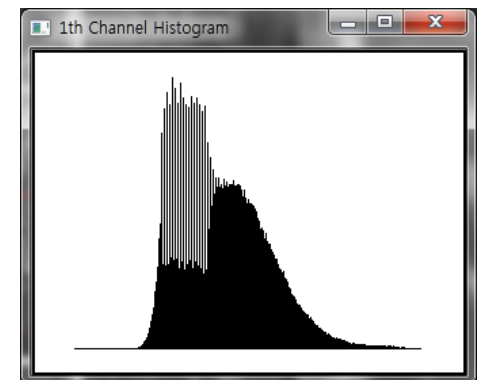
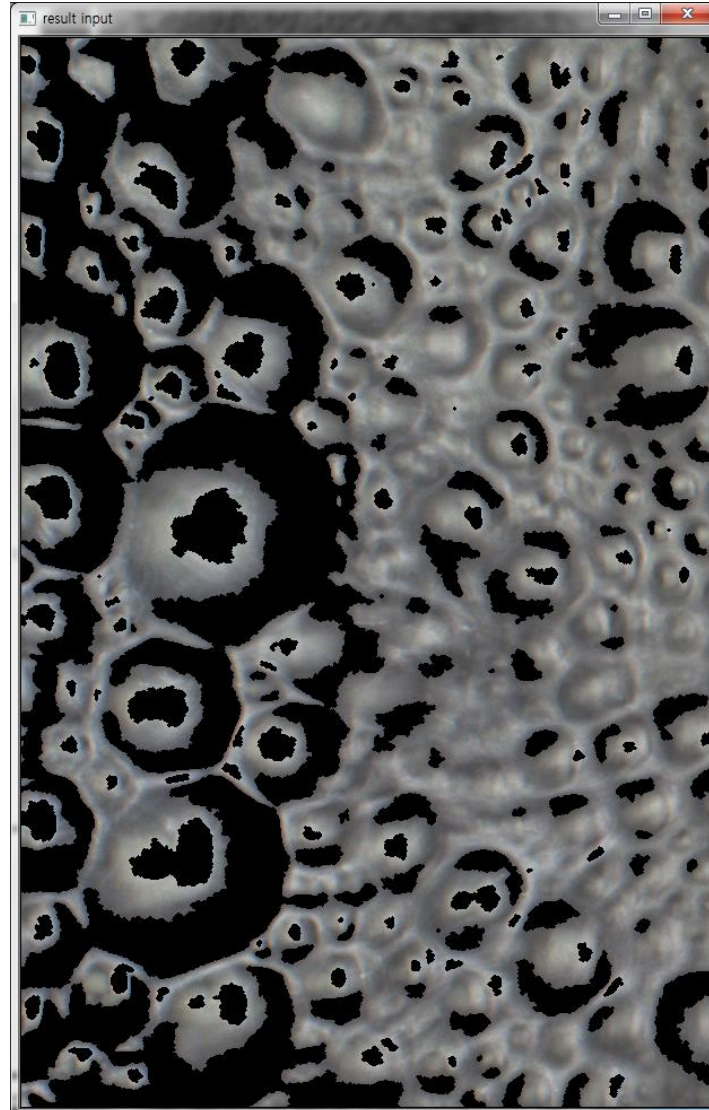
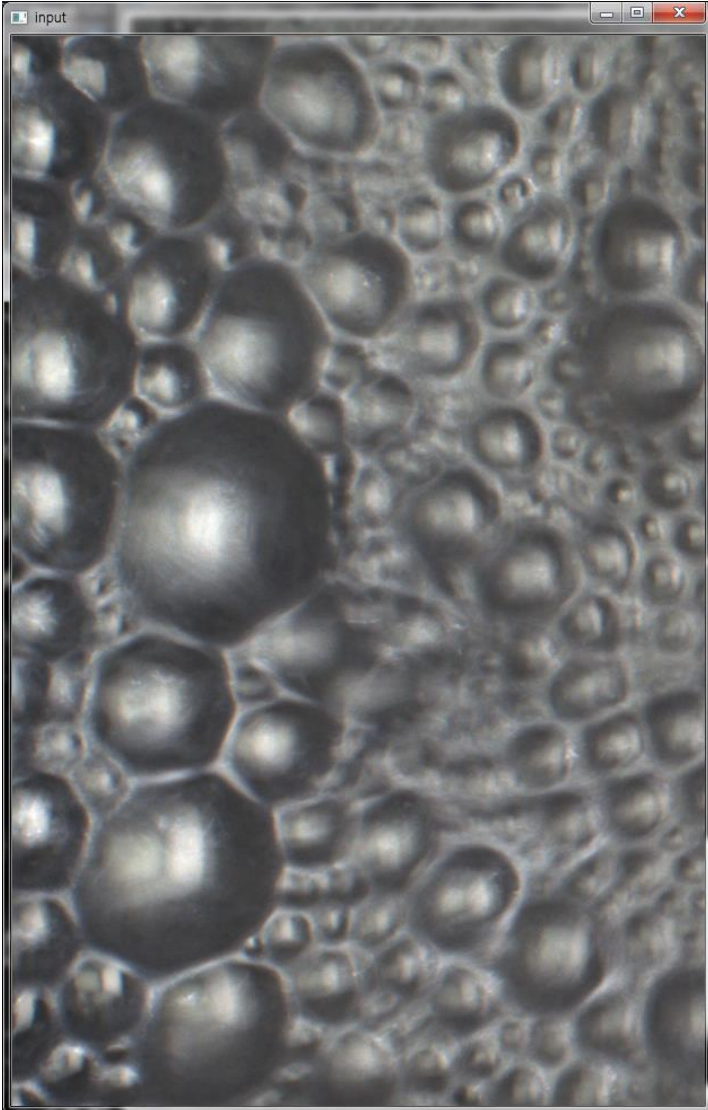
-Test#2



04

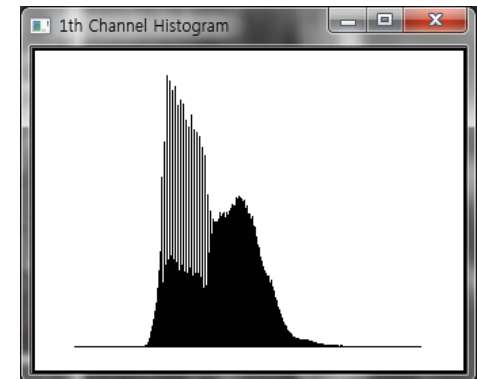
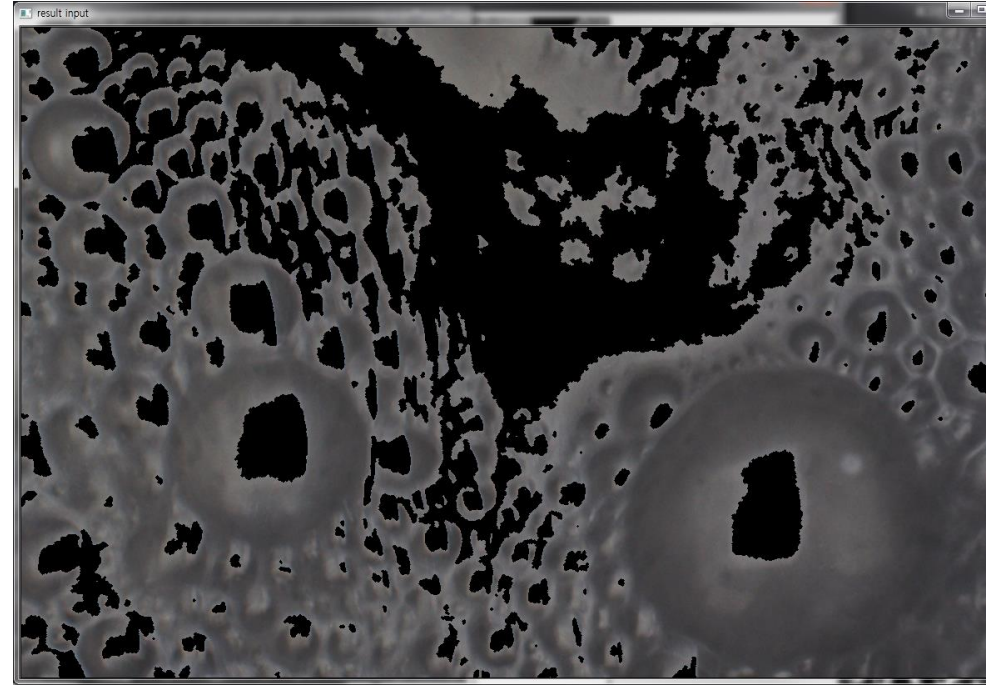
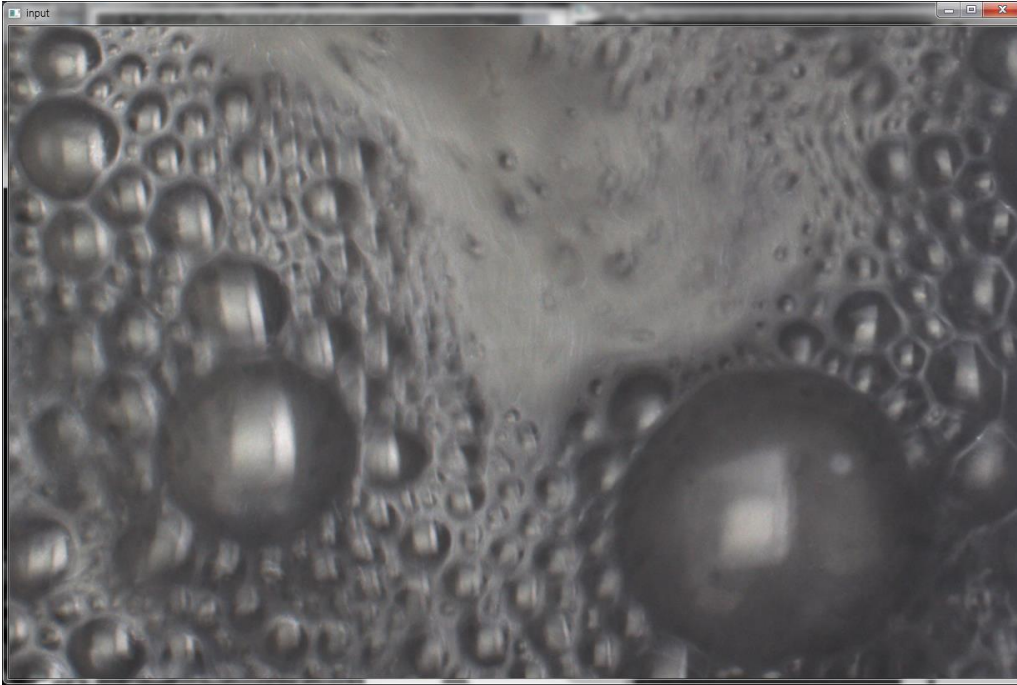
Result

-Test#3



Result

-Test#4



Q & A
